



Summary Extraction on Data Streams in Embedded Systems

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So... IoT hype?!

2016 Ericsson Maritime ICT connects over 350 cargo vessels on one freighter





So... IoT hype?!

2016 Daimler Trucks has deployed 400000 trucks with 400 sensors each

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So... IoT hype?!

2016

Virgin Atlantic announces fleet of fully connected Boeing 787 machines and cargo



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IoT means large autonomous systems

Common intuition

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There will be more devices We will get more data Systems will become more autonomous



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Question

What to do if something unexpected happens?







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Goal Monitor systems

Clear

Nobody can monitor all the sensor data on the fly

But

To detect unexpected behavior we need to monitor all data

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Idea

Compute summaries on the fly while sensor data is generated





Goal Monitor systems

Then

Human expert can inspect summaries Perform operations on summary etc.







Goal Monitor systems

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Human expert can inspect summaries Perform operations on summary etc.

Constraint Different data types + theoretically sound







Data summarization Some theory

Intuition

Use set function f to measures expressiveness of summary \boldsymbol{S}

Goal

 $\max_{S \subseteq V, |S| \le k} f(S)$





Data summarization Some theory

Intuition

Use set function f to measures expressiveness of summary S

Goal

$$\max_{S \subseteq V, |S| \le k} f(S)$$

Gain Let $f: V \to \mathbb{R}$ and let $e \in V$ and $S \subseteq V$:

$$\Delta_f(e|S) = f(S \cup \{e\}) - f(S)$$





Summarization Sieve-Streaming

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Badanidiyuru et al. 2014 Sieve-Streaming Item e arrives one at a time Immediately decide if e should be added to summary





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Idea Introduce novelty threshold v. Add e if

 $\Delta_f(e|S) > v$







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Badanidiyuru et al. 2014 Sieve-Streaming Item e arrives one at a time Immediately decide if e should be added to summary

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Challenge What is the "optimal" v?









Summarization Sieve-Streaming

Idea

Manage multiple summaries i = 1, 2, 3... with multiple v_i

 \rightarrow "sieve" out unimportant elements





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By sumodularity

 $v_i \in [m, km]$ with $m = \max_{e \in V} f(\{e\})$ Then solution is $\frac{1}{2} - \varepsilon$ approximation

Note

This is independent from f



Submodular maximization The right function

Question

What submodular function f captures summarization?

Herbrich et al. 2003 / Seeger 2004 Informative Vector Machine

$$f(S) = \frac{1}{2} \log \det \left(\mathcal{I} + \sigma^{-2} \Sigma_S \right)$$



Submodular maximization The right function

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IVM for data summarization

Since we know f, reduce interval!

Note Assume $k(e_i, e_i) = 1$

Least-expressive summary All off-diagonal elements are 1



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$$= \frac{1}{2} \log \left(1 + \sigma^{-2} \mathbf{1}^T \mathbf{1} \right) = \frac{1}{2} \log \left(1 + \sigma^{-2} k \right)$$



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$$= \frac{1}{2} \log \left((1 + \sigma^{-2})^k \det \left(\mathcal{I} \right) \right) = \frac{k}{2} \log \left(1 + \sigma^{-2} k \right)$$



Sieve-Streaming enhancements

Result

Number of sieves reduced without performance loss





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More improvements Reopen sieves once full

Sieves with small threshold will quickly be full Save summary, and reopen sieve with larger threshold



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 \Rightarrow Increase utility value with same number of sieves





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Question 2 How perform enhancements compared to default?



Experiments Data

Synthetic data

GMM with 4 dimensions and 4 classes. Use

$$K = 10, \dots, 24, \ \varepsilon = 0.1, \ \sigma = 1, \ k(e_i, e_j) = \exp\left(\frac{-||e_i - e_j||_2^2}{10}\right)$$

UJIndoor Location

Predict (semantic) location, e.g. room number based on GPS. Use

 $K = 80, \dots, 130, \ \varepsilon = 0.1, \ \sigma = 1, \ k(e_i, e_j) = \exp\left(\frac{-||e_i - e_j||_2^2}{0.005}\right)$

MNIST

Handwritten digit recognition task. Use

 $K = 8, \dots, 16, \ \varepsilon = 0.1, \ \sigma = 1, \ k(e_i, e_j) = \exp\left(\frac{-||e_i - e_j||_2^2}{784}\right)$





Experiments Results



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Outlook





Outlook

Question 2 How well perform enhancements compared to vanilla? Quite well! Computation decreased + utility and recall increased



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Next to come

Better kernel functions? Streaming with concept drift? \Rightarrow Maybe "forget" items? Use summaries for model learning?