The Representation Race Handling Time Phenomena

### Katharina Morik

Univ. Dortmund, www-ai.cs.uni-dortmund.de

- MiningMart -- an approach to the representation race
- Time related learning tasks
- Case studies
  - shop

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intensive care



- Criteria for selecting a learning method for an application are missing -- no expert knowledge available! (MLT Consultant)
- Empirical studies do neither result in clear guidelines. (StatLog)
- Learning the rules that recommend a method for an application requires well-chosen descriptions of methods and tasks. (MetaL, CORA)

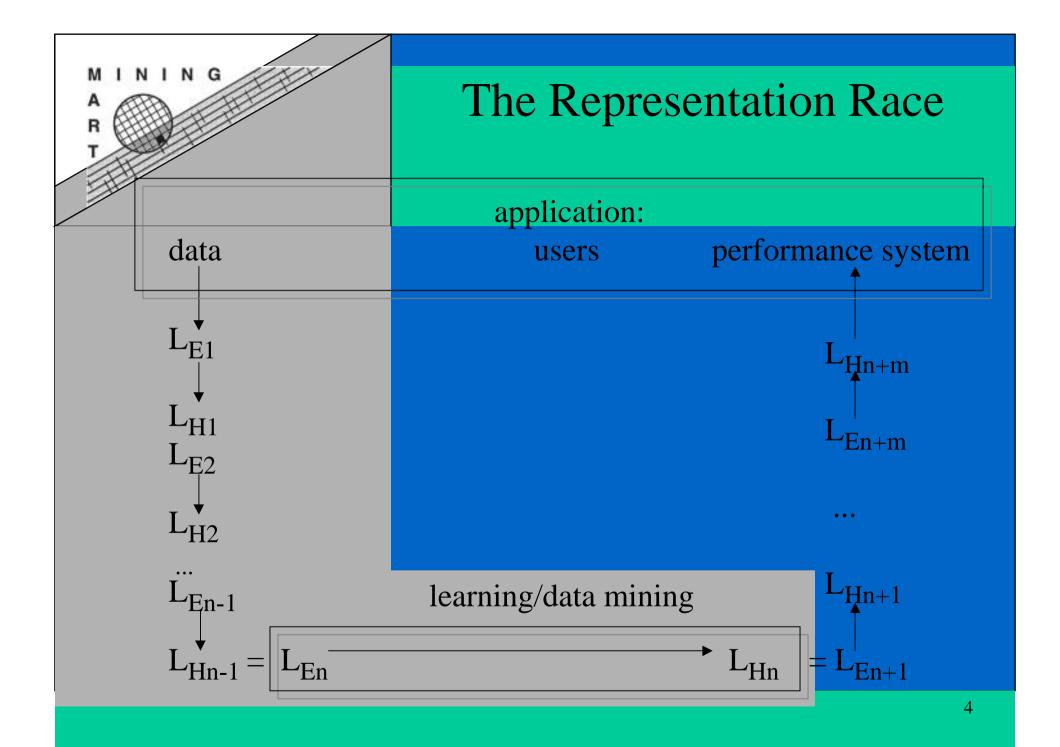
# Observation

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Experienced users can apply any learning system successfully to any application, since they prepare the data well...

- The representation  $L_E$  of examples determines the applicability of learning methods.
- A chain of data transformations (learning steps) leads to  $L_E$  of the method that delivers the desired result.

Experienced users remember prototypical successful transformation/learning chains





- Katharina Morik Univ. Dortmund, D (Coordinator)
- Lorenza Saitta Univ. Piemonte del Avogadro, I
- Pieter Adriaans Syllogic, NL
- Dietrich Wettscherek Dialogis, D
- Jörg-Uwe Kietz SwissLife, CH
- Fabio Malabocchia CSELT, I

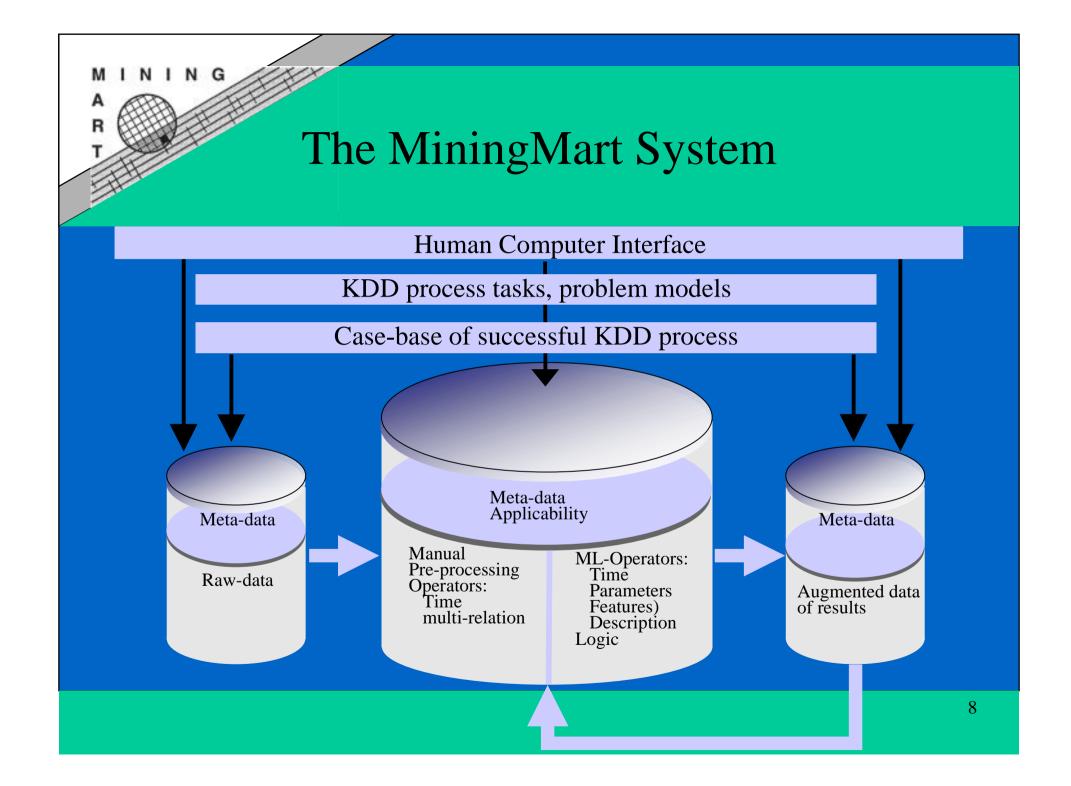
# The MiningMart Approach

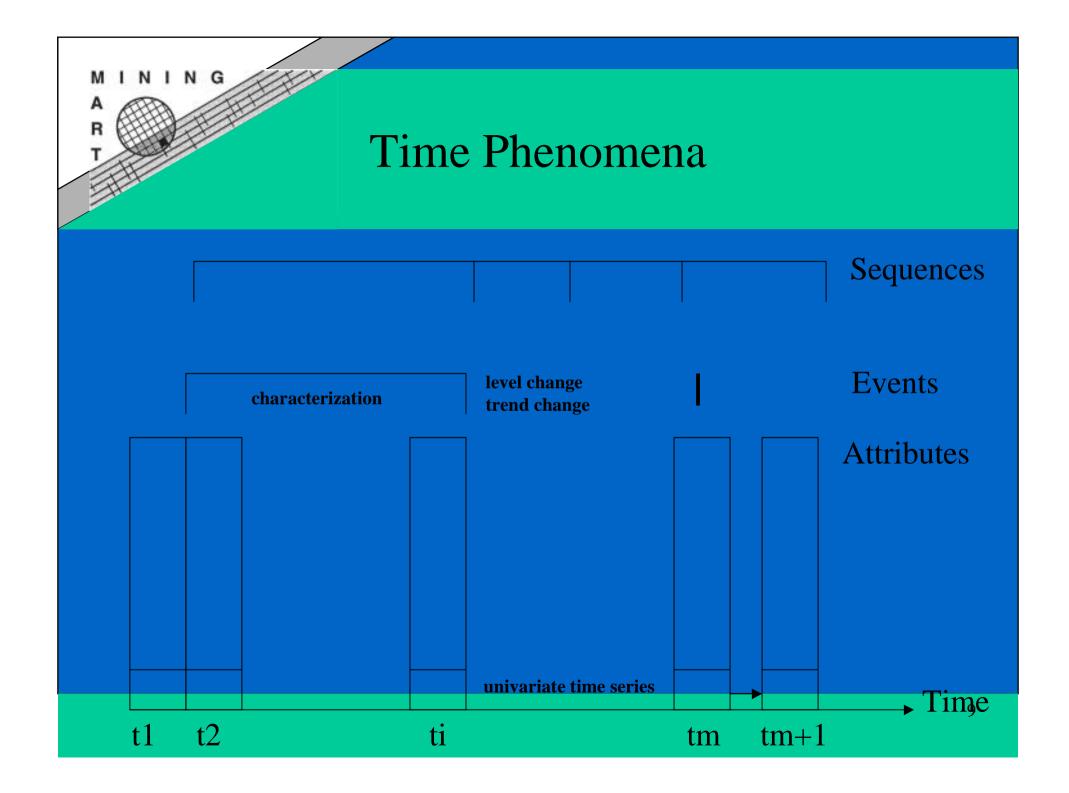
# **Best practice cases** of transformation/learning chains exist

- Data,  $L_E$  and  $L_H$  are described on the meta level.
- The meta-level description is presented in application terms.
- MiningMart users choose a case and apply the corresponding transformation and learning chain to their application.
- ... and more can be obtained!



- MiningMart is about to develop an operational metalanguage for describing data and operators.
- MiningMart prepares the first cases of KDD.
- MiningMart will present the case-base in the WWW.
- You may contribute to the representation race!
  - Apply the meta-language to your application and deliver it as a positive example to the case-base; or
  - apply a case of MiningMart to your data.





# **Typical Time-Related Data**

### **On-line** measurements

- univariate time series
- multivariate time series
- Database relations
- sales/contract data
- age/life situation

### Granularity

- continuous measurements in day, hours, minutes, seconds
- time stamped events in years, half/quarter years, months, days

## Learning Tasks -- Precedence

From a time series until t<sub>m</sub> univariate

- predict value at t  $_{m+n}$
- find a common trend
- find cycles, seasons
- find level changes

### Given sequences

find clusters of similar subsequences

### multivariate

- find co-occurrences
- find subsets of co-occurring attribute values (events)
- find time regions

### Learning Tasks -- Dominance

### Define sequences as

#### Frequent sequences:

precedence relation between sets of events (episodes)

#### Legal sequences:

proportions of time intervals (predicting actual time point)

### Relations between time intervals:

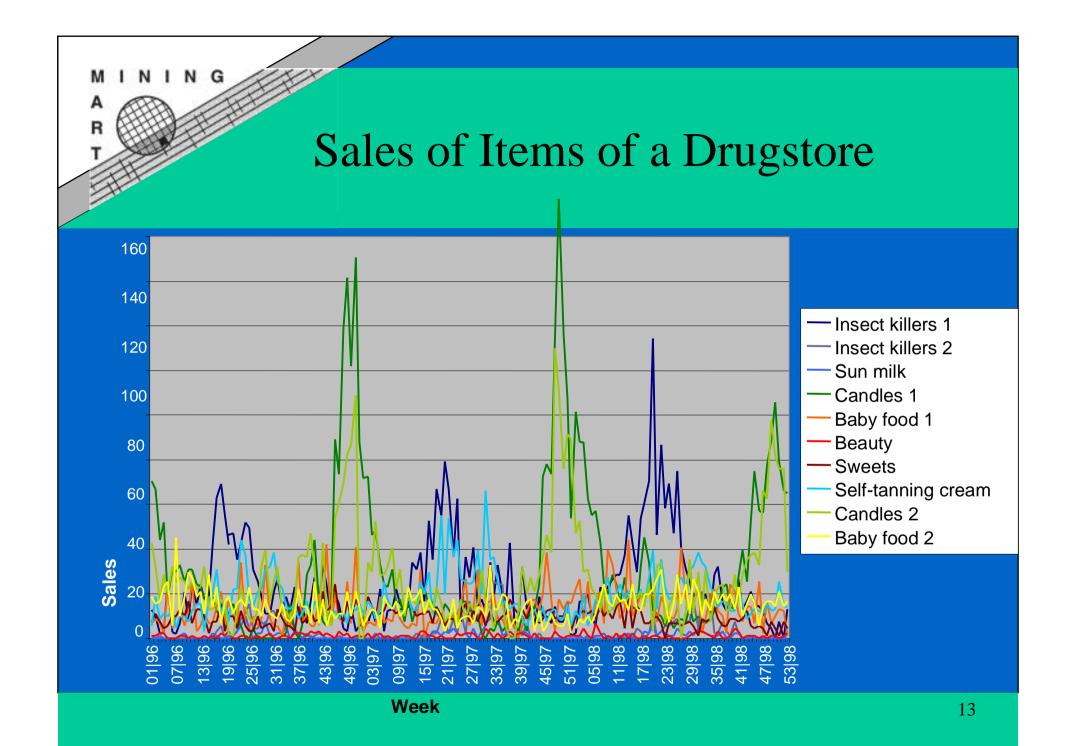
overlap, inclusion, (direct) precedence

#### Higher-level categories:

a sequence of actions constitutes a category at the higher level

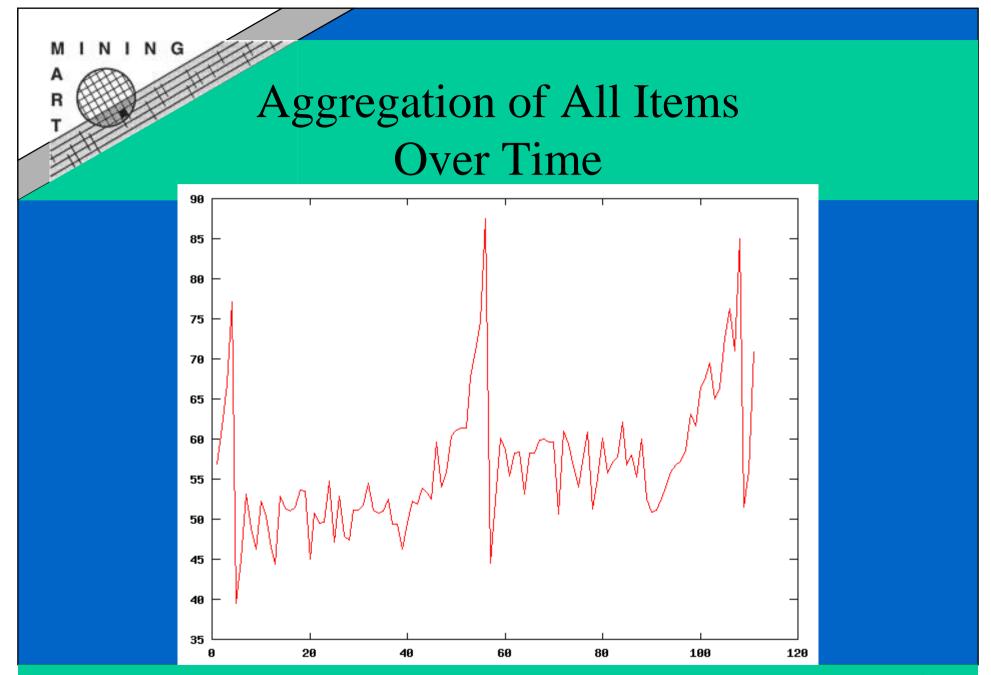
### in terms of

- association rules
- first order logic
- prefix trees
- automata
- Hidden Markov Models





- Find seasons, cycles, trends in general
- Aggregate all items, all shops
- Define a standard function of sales in a year
- Inspect deviations of particular shops from the standard



# Predict Sales of an Item

<u>Given</u> drug store sales data of 50 items in 20 shops over 104 weeks

predict the sales of an item such that

the prediction never underestimates the sale,

the prediction overestimates less than the rule of thumb.

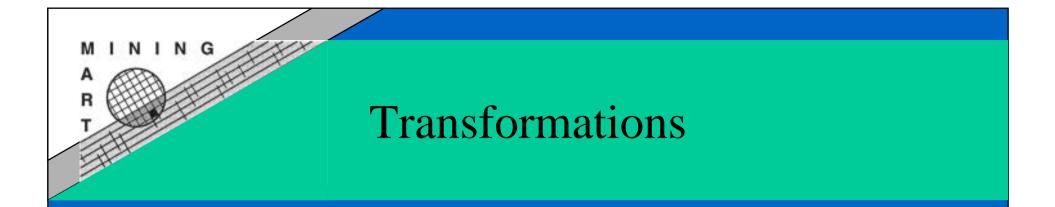
Observation: 90% of the items are sold less than 10 times a week.

Requirement: prediction horizon is more than 4 weeks ahead.

# Shop Application -- Data

Shop	Wee k	Item 1		Item 5 0
Dm1	1	4	•••	12
Dm1	•••	•••	•••	
Dm1	104	9	••••	16
Dm2	1	3	••••	19
•••	••••	•••	••••	
Dm20	104	12	•••	16

LE <sub>DB1</sub>: I: T<sub>1</sub> A<sub>1</sub> ... A <sub>50</sub>; set of multivariate time series



• From shops to items: multivariate to univariate  $L_{E1}$ : i:t<sub>1</sub> a<sub>1</sub> ... t<sub>k</sub> a<sub>k</sub>

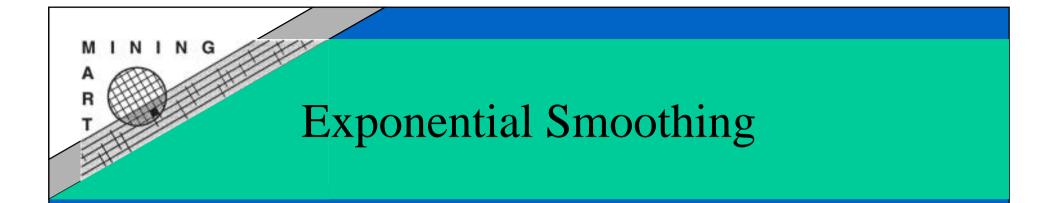
For all shops for all items: Create view Univariate as Select shop, week, item<sub>i</sub> Where shop="dm<sub>j</sub>" From Source;

• Multiple learning

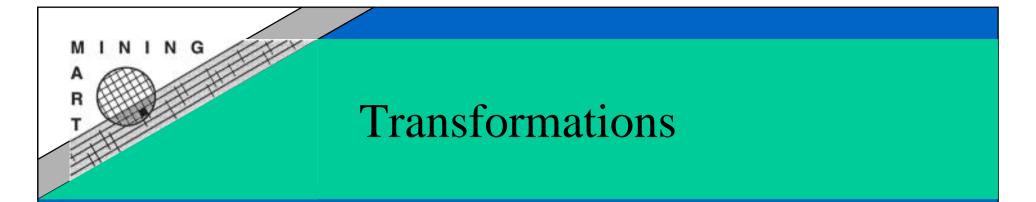
Dm1	tenh	1		1	4	104	9
•••							
Dm1	<u>t</u> enh	5	0	1	12	104	16

••••

Dm2 0 temI 5 01 14... 104 16



- Univariate time series as input ( LE<sub>1</sub>, ),
- incremental method:
  current hypothesis h and new observation o yield next
  hypothesis by h := h + λ o,
  where λ is given by the user,
- predicts sales of n-next week by last h.



• Obtaining many vectors from one series by sliding windows

$$\begin{array}{c} L_{H5} \ i:t_1 \ a_1 \ \dots \ t_w \ a_w \\ move \ window \ of \ size \ w \ by \ m \ steps \\ \hline Dm1 \ \underline{teth} \ 1 \ \_ \ 1 \ 1 \ 4... \ 5 \ 7 \\ Dm1 \ \underline{teth} \ 1 \ \_ \ 2 \ 2 \ 4... \ 6 \ 8 \\ \hline \dots \\ Dm1 \ \underline{teth} \ 1 \ \_ \ 1 \ Dm0 \ 6... \ 104 \ 9 \\ \hline \dots \\ Dm20 \ \underline{tem50} \ 100 \ 100 \ 12... \ 104 \ 1 \end{array}$$

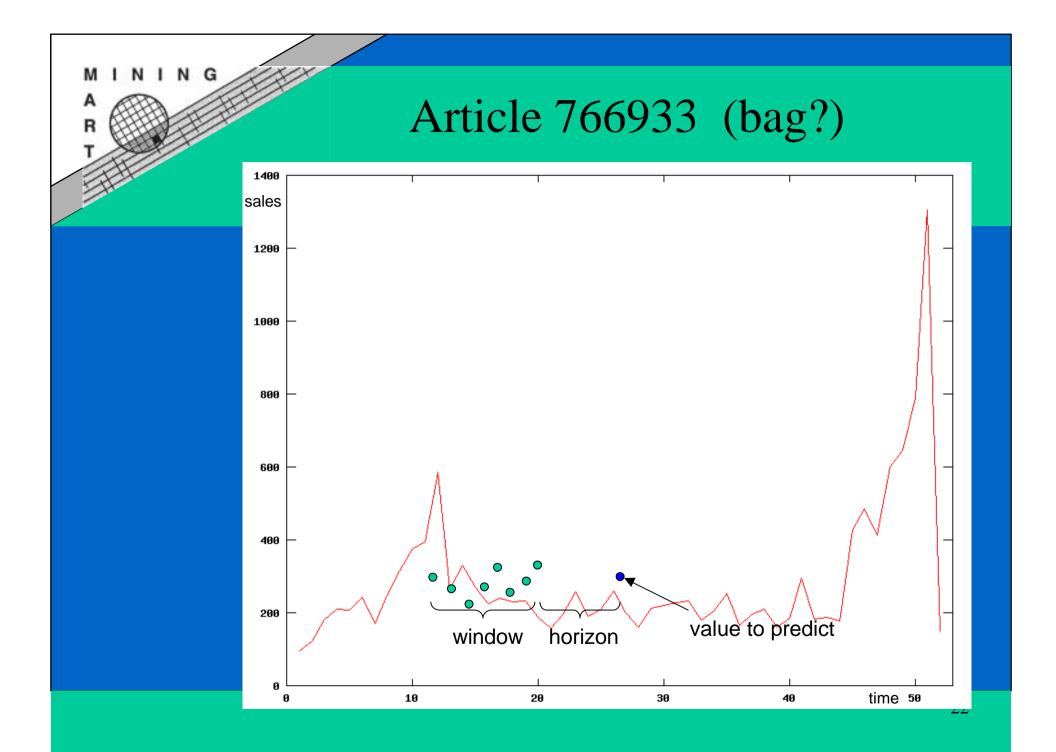
# SVM in the Regression Mode

• Multiple learning:

for each shop and each item, the support vector machine learned a function which is then used for prediction.

- Asymmetric loss:
  - underestimation was multiplied by 20,
    - i.e. 3 sales too few predicted -- 60 loss
  - overestimation was counted as it is,
    - i.e. 3 sales too much predicted -- 3 loss

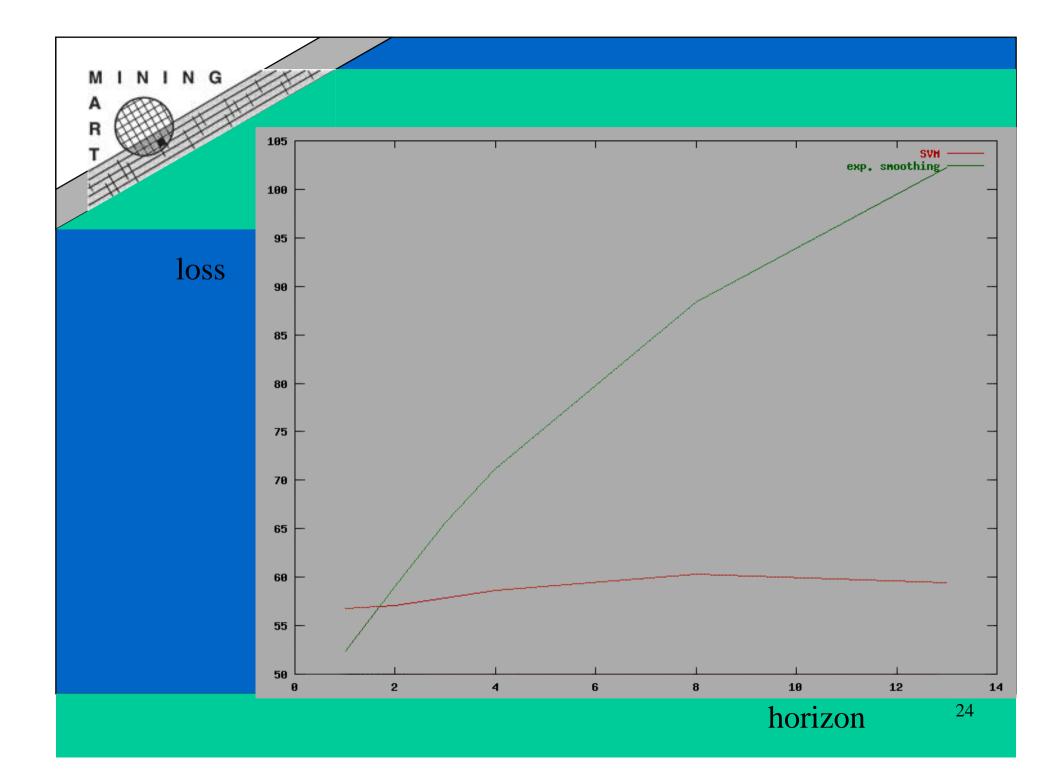
(Stefan Rüping 1999)

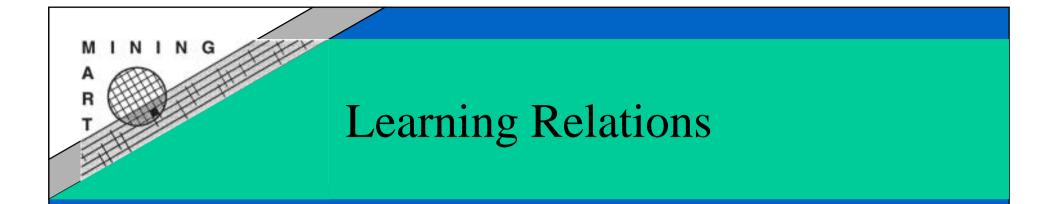




# Comparison with Exponential Smoothing

horizon	SVM	exp. smoothing
1	56.764	52.40
2	57.044	59.04
3	57.855	65.62
4	58.670	71.21
8	60.286	88.44
13	59.475	102.24



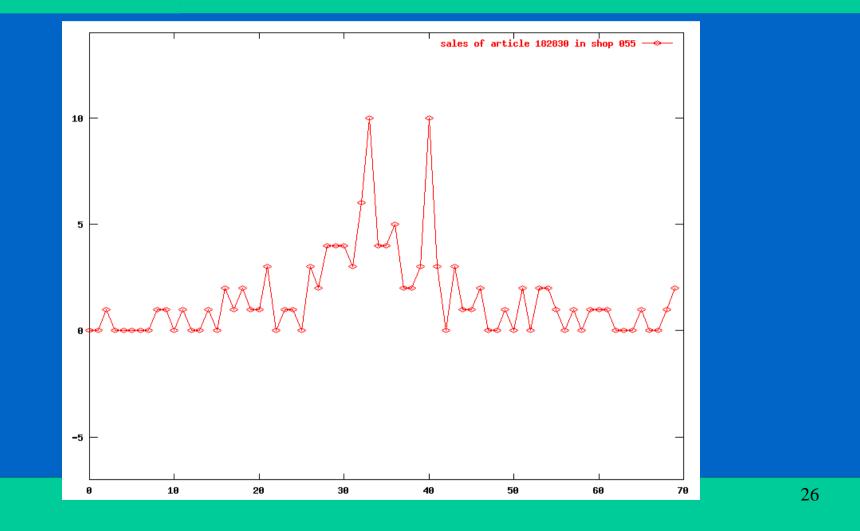


- Are there typical sequences that are valid for <u>all</u> items? Prepocessing for rule learning about abstract episodes:
- Summarizing values within time intervals  $L_{E1}$ : i:t<sub>1</sub> a<sub>1</sub> ... t<sub>k</sub> a<sub>k</sub>  $\Rightarrow$  $L_{H6}$ : i: [t<sub>1</sub>, t<sub>w</sub>]f(a<sub>1</sub>,...,a<sub>w</sub>),..., [t<sub>m</sub>, t<sub>m+w</sub>] g(a<sub>1</sub>,...,a<sub>w</sub>)
- Abstraction into classes of gradients valid for a time interval ⇒
  L<sub>H2</sub>:Label<sub>j</sub> [t<sub>1</sub>, t<sub>w</sub>],...,Label<sub>l</sub> [t<sub>m</sub>, t<sub>m+w</sub>]

# Sales of Item 182830 in Shop 55

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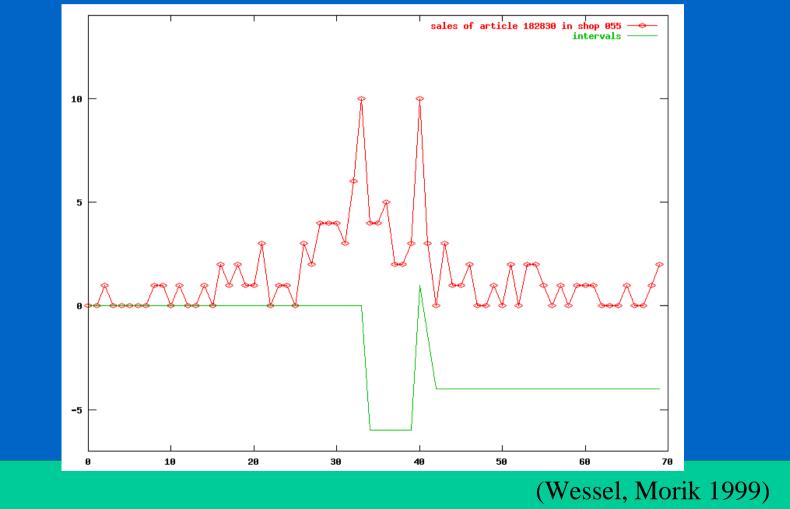


# Summarizing Sales

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### **Transformation into Facts**

 $L_{E4}$ :

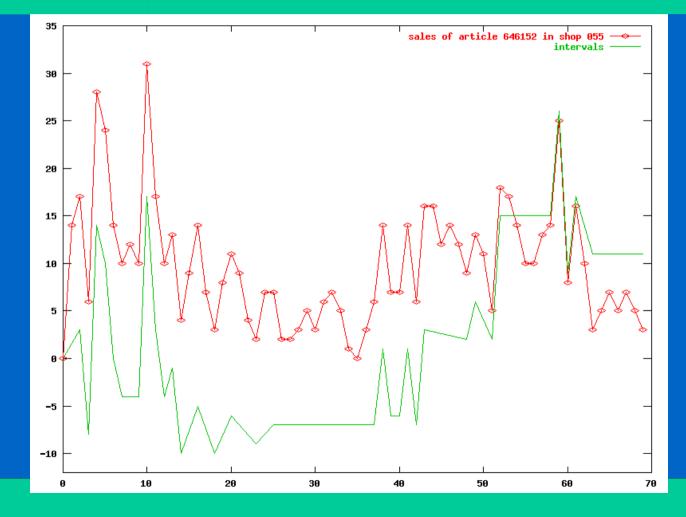
stable(182830,1,33,0). decreasing(182830, 33,34,-6). stable(182830, 34, 39,0). increasing(182830, 39, 40,7). decreasing(182830, 40, 42,-5). stable(182830, 42,108,0).

# Summarizing Item 646152 in Shop 55

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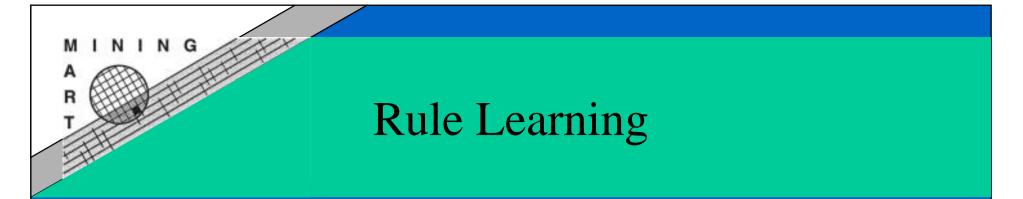


# **Corresponding Facts**

increasing(646152,1,2,3). decreasing(646152,2,3,-11). increasingPeak(646152,3,4,22).

stable(646152, 25,37,0). increasing(646152, 37, 38, 8). decreasing(646152, 38, 39, -7). stable(646152, 39,40, 0). increasing(646152, 40, 41,7). decreasing(646152, 41, 42,-8). increasing(646152, 42, 43,10). stable(646152, 43, 48,-1).

### small time intervals



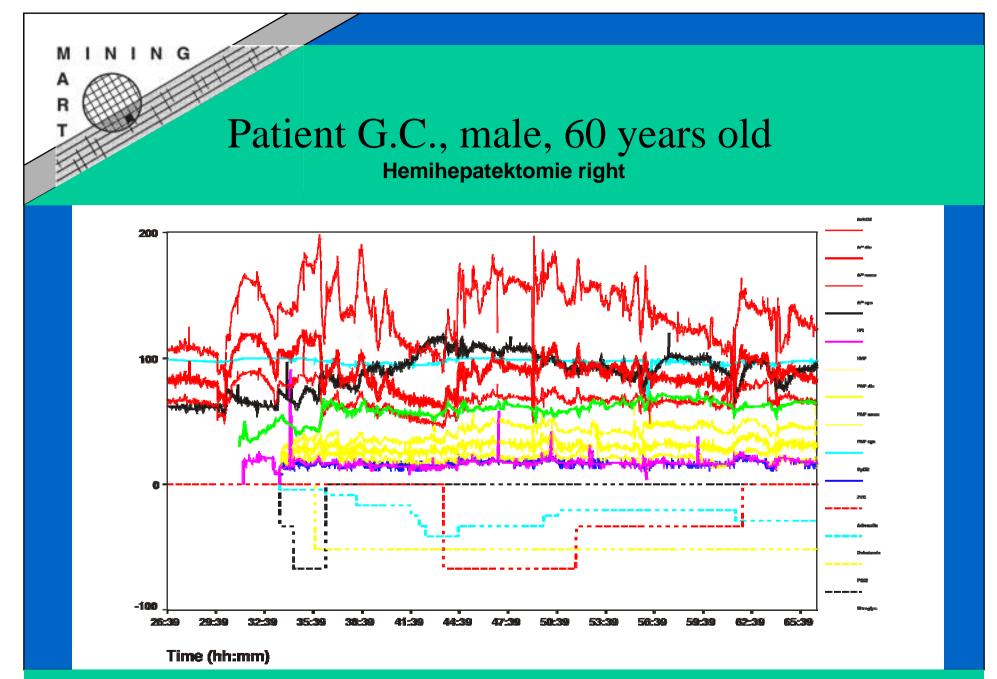
- Transformations into facts: L<sub>E 4</sub>: p(I, T<sub>b</sub>, T<sub>e</sub>, A<sub>r</sub>, ..., A<sub>s</sub>)
- Rules about sequences:  $p_1(I, T_b, T_e, A_r), p_2(I, T_e, T_{e2}, A_s) \rightarrow p_3(I, T_{e2}, T_{e3}, A_t)$
- results for sequences of sales trends: increasing (Item,  $T_b, T_e$ )  $\rightarrow$  decreasing(Item,  $T_e, T_{e2}$ ) increasing (Item,  $T_b, T_e$ ), decreasing(Item,  $T_e, T_{e2}$ )  $\rightarrow$  stable(Item,  $T_{e2}, T_{e3}$ )

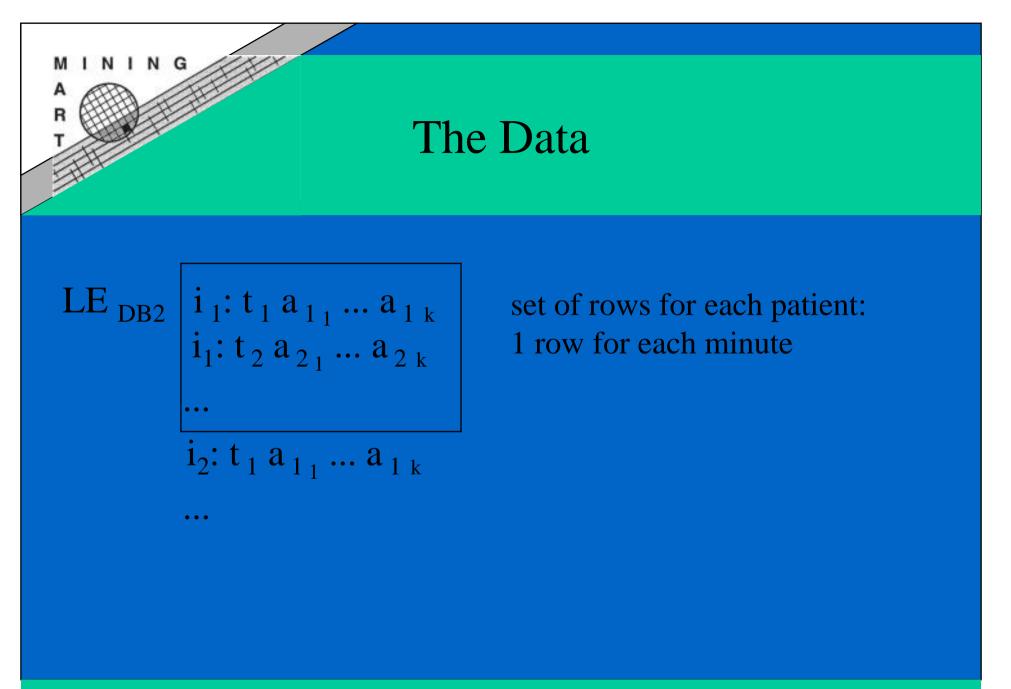
### Same Data -- Several Cases

- Find seasons or cycles in all sales aggregation of items and shops, description of the curve as a function
- Predict sales of a particular item in a particular shop multivariate to univariate, multiple exponential smoothing OR multivariate to univariate, sliding windows, multiple learning with SVM
- Find relations between trends that are valid for all sales in all shops summarizing, transformation into facts, rule learning

# Applications in Intensive Care

- On-line monitoring of intensive care patients
- high-dimensional data about patient and medication
- measured every minute
- stored in the Emtec database of patient records ---
- learning when to intervene in which way.

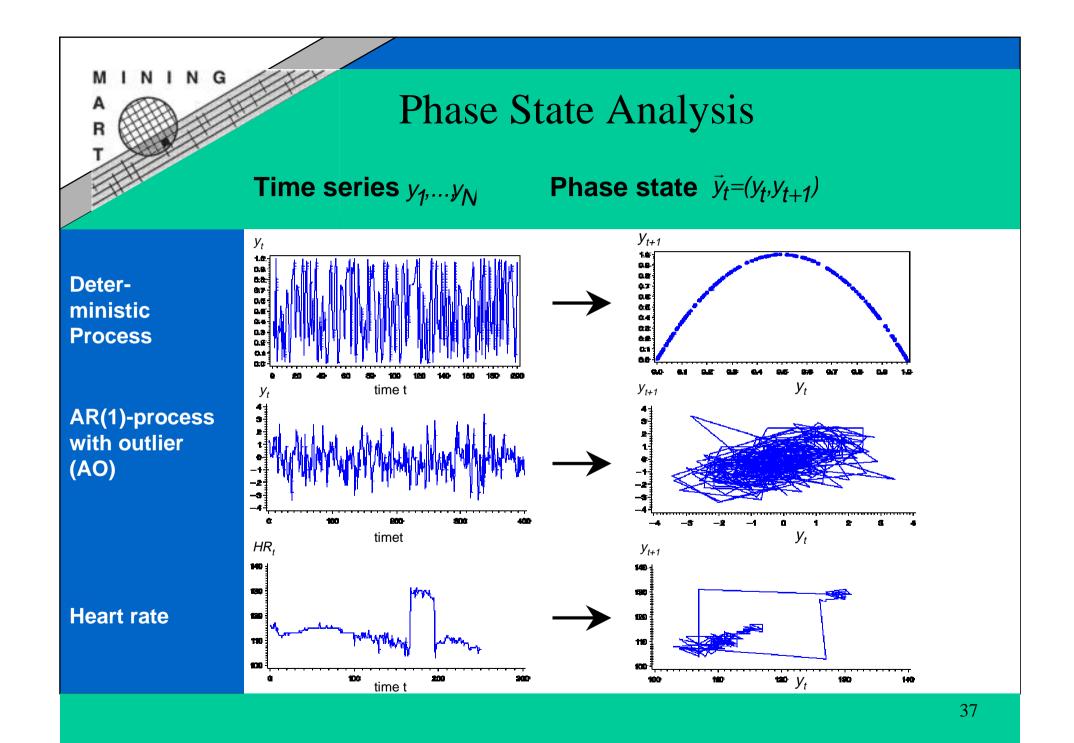






# Transformations

- Chaining database rows i<sub>1</sub>: t<sub>1</sub> a<sub>11</sub> ... a<sub>1k</sub>, t<sub>2</sub> a<sub>21</sub> ... a<sub>2k</sub>, ...
- Multivariate to univariate  $i_1: t_1 a_1, t_2 a_1 \dots t_m a_1$ 
  - $i_1: t_1 a_2, t_2 a_2 \dots t_m a_2$
- Detecting level changes

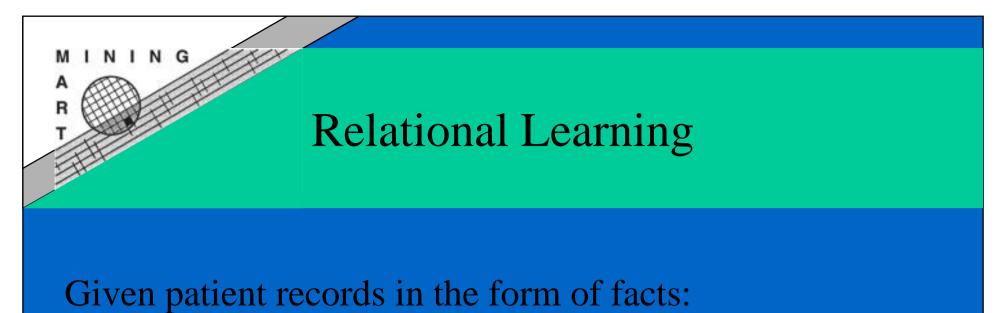


# Level Change Detection

level\_change(pat4999, 50, 112, hr, up) level\_change(pat4999, 112, 164, hr, down) level\_change(pat4999, 10, 74, art, constant) level\_change(pat4999, 74, 110, art, down) **Computed Feature** Comparing norm values for a vital sign and its mean in a time interval (± standard deviation): deviation(pat4999, 10, 74, art, up)

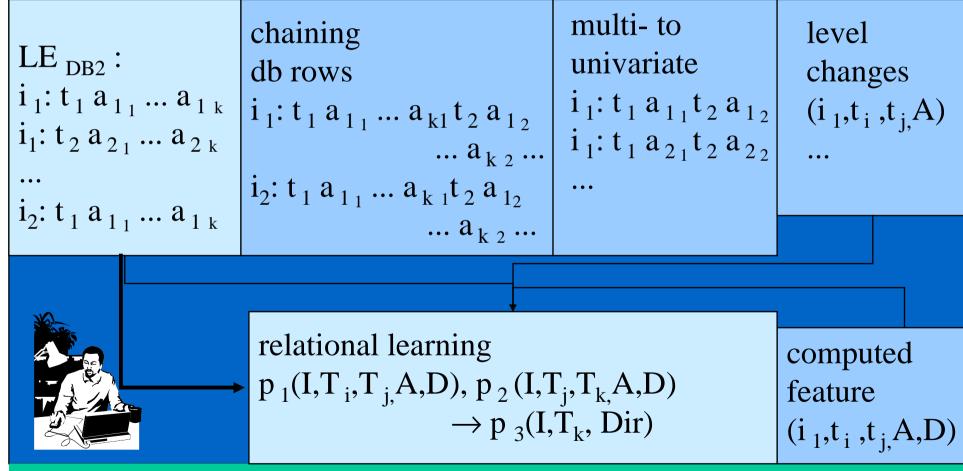


Are there valid rules for all multivariate time series, such that therapeutical interventions follow from a patient's state?



- deviations -- time intervals
- therapeutical interventions -- time points
- types of vital signs (group1: hr, swi, co; group2: art, vr)
  Learn rules about interventions: group1(V), deviation(P, T1, T2, V, Dir)
- $\rightarrow$ noradrenaline(P, T2, Dir)

# The Chain of Preprocessing Steps





<u>Given</u> a patient's state at time  $t_i$ ,

<u>learn</u> whether and how to intervene at t  $_{i+1}$ 

- **Transformations:**
- Selection of time points where an intervention was done
- Multiple to binary class

for each drug, form the concepts drug\_up, drug\_down

• Multiple learning for each binary class resulting in classifiers for each drug and direction of dose change (SVM\_light)

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# The Chain of Preprocessing Steps

 $LE_{DB2}$ :  $i_1: t_1 a_{1_1} \dots a_{1_k} | i_1: t_i a_{1_i} \dots a_{k_i}$  $i_1: t_2 a_{2_1} \dots a_{2_k}$   $i_2: t_j a_{1_j} \dots a_{k_j}$  $i_2: t_1 a_{1_1} \dots a_{1_k}$ 

Select time points with interventions ...

Form binary classes

 $a_1_{\mu} u p_{+}: a_{2}_{\mu} a_{k}$ 

 $a_1\_up$ :  $a_2\_a_k$ 

 $a_{6}$  down<sub>+</sub>:  $a_{2}$   $a_{k}$ .  $a_6_{down}: a_2 a_{k_{down}}$ 



Learning classifiers using SVM\_light  $a_1_up_+: w_2 a_2_w_k a_k$ ...

$$a_6 down_{+} w_2 a_2 \dots w_k a_k$$



- Find time relations that express therapy protocols chaining db rows, multivariate to univariate, level changes, deviations, RDT
- Predict intervention for a particular drug select time points, multiple to binary class, SVM\_light



# Behind the Boxes

Db schema indicating time attribute(s), granularity,...

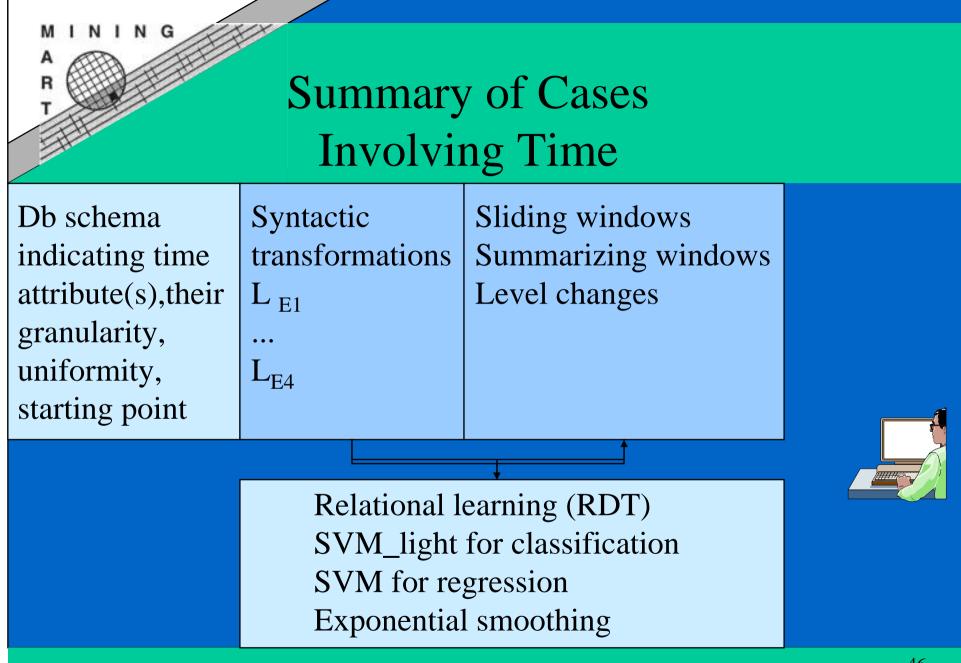
Select statement in abstract form, instantiated by db schema Creating views in abstract form, instantiated by db schema and learning task

Syntactic transformation for SVM

Multiple learning control

Calling SVM\_light and writing results

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# MiningMart Approach to the Representation Race

- Manager -- end-user knows about the business case
- Database manager knows about the data
- Case designer -- power-user expert in KDD
- Developer supplies (learning) operators

